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## Day 1 - Circle Vocabulary and Central Angles

| Circle | set of all points equidistant from a given point called the center of the circle |  |
| :---: | :---: | :---: |
| Chord | a segment whose endpoints are on the circle |  |
| Diameter | distance across the circle through its $\qquad$ (twice the length of the radius) |  |
| Radius | distance from the center to point on circle (half the length of the diameter) |  |
| Secant | a line that intersects the circle at exactly $\qquad$ points |  |
| Tangent | a $\qquad$ that intersects the circle exactly ONE time |  |
| Point of Tangency | where the tangent line intersects the circle |  |

$\qquad$ degrees.
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$\qquad$

Practice: Tell whether the line or segment is best described as a chord, a secant, a tangent, a diameter, or a radius-be specific!

a. $\overline{A D}$
b. $\overline{C D}$
c. $\overline{E G}$
d. $\overline{H B}$
e. $\overline{F B}$
g. $\overline{G K}$

## Arcs \& Central Angles

An arc is an unbroken part of a circle consisting of two points called the endpoints and all the points on the circle between them.

| Arc or Angle | Definition | Measure | Picture |
| :---: | :---: | :---: | :---: |
| Minor Arc | An arc whose points are on or in the interior of a central angle. Minor arcs are less than $180^{\circ}$ and only use two letters to name them. | The measure of a minor arc is equal to the measure of the central angle. |  |
| Major Arc | An arc whose endpoints are on or in the exterior of a central angle. Major arcs are between $180^{\circ}$ and $360^{\circ}$. Three letters are used to name a major arc. | The measure of a major arc is equal to $360^{\circ}$ minus the measure of its central angle or minor arc. |  |
| Semicircle | An arc whose endpoints lie on a diameter. Semicircles are named using three letters. | The measure of $a$ semicircle is $180^{\circ}$. |  |
| Central Angle | An angle whose vertex is the center of the circle. | The measure of a central angle is equal to the measure of its minor arc. |  |
| Name | Theorem | Hypothesis | Conclusion |
| Arc Addition Postulate | The measure of an arc formed by two adjacent arcs is the sum of the measures of the two arcs. |  |  |

## Practice

Example: Identify the following arcs are minor, major, or semicircle.


1. AE
2.FDE
3.FA
4.DFB

Example: Find the measure of the following:


Example: Find the measure of the following:
1.mMN 6.mMR

2.mNQ
7.mQMR
3. mNQR
8.mPQ
4. MMRP
9.mPRN
5.mQR
10.mMQN

Example: Find the value of $x$. Then find the measure of arc $B C$.


