

Day 1 – Proving All Parallelograms

1. The vertices of triangle JEN are J(2, 10), E(6, 4), and N(12, 8). Prove that JEN is an isosceles right triangle.

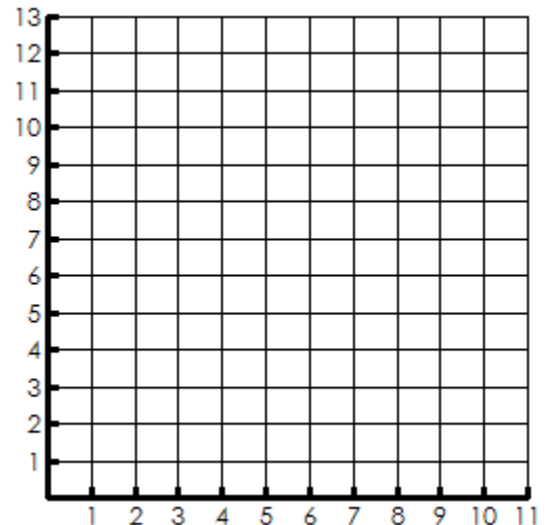
1. How do you prove it is isosceles? _____

JE= EN= NJ=

2. How do you prove it is a right triangle? _____

JE= EN= NJ=

3. Is JEN an isosceles right triangle? How do you know?



2. A parallelogram has opposite sides congruent and parallel. The vertices of quadrilateral JOHN are J(-3, 1), O(3, 3), H(5, 7), and N(-1, 5). Prove that JOHN is a parallelogram.

1. How do you prove opposite sides are congruent?

JO= HN=

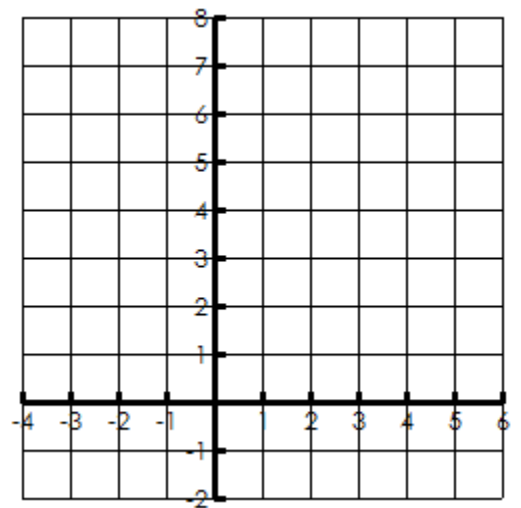
OH= NJ=

2. How do you prove opposite sides are parallel?

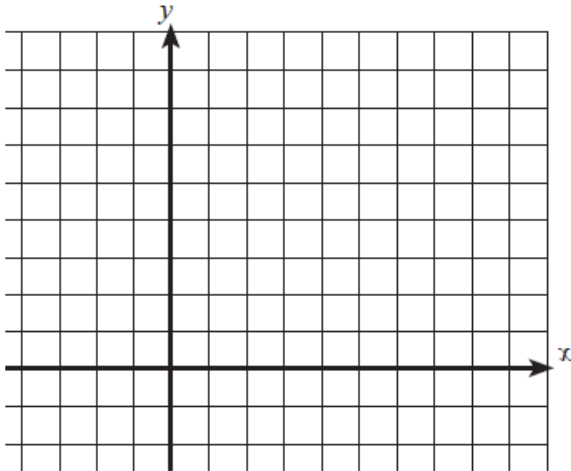
JO= HN=

OH= NJ=

3. Is JOHN a parallelogram? How do you know?

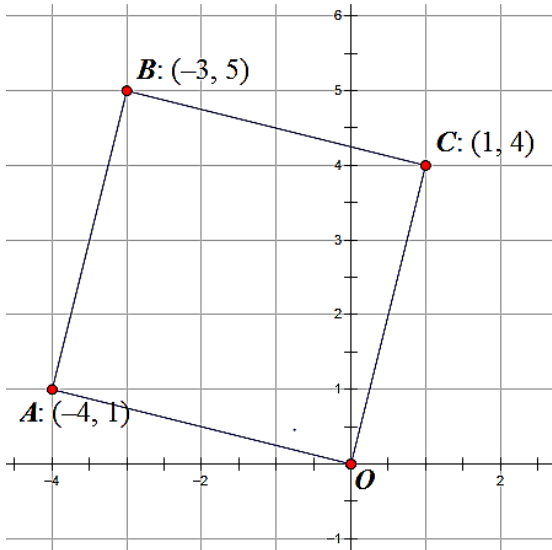


3. Prove that quadrilateral $LEAP$ with the vertices $L(-3,1)$, $E(2,6)$, $A(9,5)$ and $P(4,0)$ is a parallelogram.



Does it have another name? _____

4. The points $O(0,0)$, $A(-4,1)$, $B(-3,5)$, and $C(1,4)$ are the vertices of parallelogram $OABC$. Is this parallelogram a rectangle? Support your answer.



5. Given: $A(-2,2)$, $B(6,5)$, $C(4,0)$, and $D(-4,-3)$. Prove: $ABCD$ is a parallelogram but not a rectangle.

